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Multiphysics Simulation of Left Ventricular Filling Dynamics Using Fluid-Structure Interaction Finite Element Method

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ABSTRACT To relate the subcellular molecular events to organ level physiology in heart, we have developed a three-dimensional finite-element-based simulation program incorporating the cellular mechanisms of excitation-contraction coupling and its propagation, and simulated the fluid-structure interaction involved in the contraction and relaxation of the human left ventricle. The FitzHugh-Nagumo model and four-state model representing the cross-bridge kinetics were adopted for cellular model. Both ventricular wall and blood in the cavity were modeled by finite element mesh. An arbitrary Lagrangian Eulerian finite element method with automatic mesh updating has been formulated for large domain changes, and a strong coupling strategy has been taken. Using electrical analog of pulmonary circulation and left atrium as a preload and the windkessel model as an afterload, dynamics of ventricular filling as well as ejection was simulated. We successfully reproduced the biphasic filling flow consisting of early rapid filling and atrial contraction similar to that reported in clinical observation. Furthermore, fluid-structure analysis enabled us to analyze the wave propagation velocity of filling flow. This simulator can be a powerful tool for establishing a link between molecular abnormality and the clinical disorder at the macroscopic level.

INTRODUCTION

The heart is an essential organ for maintaining human life by propelling blood throughout the circulatory system. Although recent studies in cellular and molecular biology have greatly promoted our understanding of the structure and function of the heart at the microscopic level, these approaches have contributed little to the understanding of the integrated function of this organ as a pump. In this regard, integration based on computational sciences can be a powerful tool for moving heart research into a new era (Hunter and Borg, 2003; Noble, 2002).

To construct a comprehensive model of the heart that can accurately simulate the series of events during cardiac cycle, microscopic as well as macroscopic mechanisms should be taken into consideration. Furthermore, description of each event involves the coupling of various disciplines such as electricity, physical chemistry, solid mechanics, and fluid dynamics (multiphysics simulation). Among these, many simulation studies have already been reported in the field of electrophysiology both at the cellular (Luo and Rudy, 1991; Noble et al., 1998) and organ levels (Kohl et al., 2000; Nakazawa et al., 1999; Winslow et al., 2000) and some of them could successfully integrate the cellular models to simulate the genesis and evolution of arrhythmia in the whole heart (Nakazawa et al., 1999; Winslow et al., 2000). Similarly in the field of mechanics, attempts have been made to describe the cross-bridge kinetics (Negrone and Lascano,

1996; Peterson et al., 1991; Rice et al., 1999), motion of the left ventricle (LV) muscle (Hunter et al., 1988; Huyghe et al., 1992), and fluid-structure interaction in the ventricle (Kovacs et al., 2001; McQueen and Peskin, 2000). However, so far, none of these models have simulated blood flow and the wall motion of the heart powered by the subcellular molecular mechanisms including electrical activity.

To simulate the pumping action of the human LV, we have already developed a fluid-structure interaction (FSI) finite element (FE) model incorporating the propagation of excitation and subcellular excitation-contraction (E-C) coupling mechanisms of individual cardiac myocyte (Watanabe et al., 2002). In addition, in this model, an arbitrary Lagrangian Eulerian (ALE) finite element method (FEM) with automatic mesh updating has been formulated for large domain changes, and a strong coupling strategy has been taken. As a result, intraventricular blood flow distribution (macroscopic finding) could successfully be related to the molecular mechanism of cardiac contraction for the first time. However, because this was the simple prototype consisting of only LV and systemic arterial system as an afterload, further improvements to the model were necessary to simulate the various aspect of the heart in both normal and diseased states.

Accordingly, in this study, we have incorporated the dynamics of the left atrium (LA) and pulmonary circulation into the model to simulate the ventricular filling dynamics, one of the important issues in cardiology. The results were compared with both experimental and clinical findings to show the usefulness of this method. Especially, information on intraventricular flow provided by the model facilitated the detailed comparison with the observation by Doppler echocardiography including color M-mode Doppler measurement (Brun et al., 1992).

Submitted October 16, 2003, and accepted for publication May 28, 2004.

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0006-3495/04/09/2074/12 \$2.00

doi: 10.1529/biophysj.103.035840

METHOD

Details of the formulations adopted for the model have been described in our previous report (Watanabe et al., 2002). Here, we briefly present the framework of the model.

Excitation and propagation

Upon stimulations, myocardial cells are excited and contract to develop force. In this model, all of the myocardial cells are electrically connected so that the excitation initiated at a single site can propagate to all of the myocardial cells. By combining the FitzHugh-Nagumo (FHN) model (FitzHugh, 1961; Nagumo et al., 1962), with the monodomain propagation model (Hodgkin and Huxley, 1952), the excitation and its propagation in myocardial tissue can be given by

$$\dot{x}_i = c \left(y_i + x_i - \frac{x_i^3}{3} \right) + z_i + g \sum_j (x_j - x_i), \quad (1)$$

$$\dot{y}_i = \frac{-(x_i - a + by_i)}{c}, \quad (2)$$

where x and y are variables related to the membrane potential and the adiphoria, respectively, z is the external stimulation, and g , a , b , and c are constants. The suffix i denotes the spatial position of a unit (a finite element in this article), and j indicates the units surrounding it.

E-C coupling

After excitation (membrane depolarization), a series of subcellular events leads to a transient increase in intracellular calcium concentration $[Ca^{2+}]_i$, which in turn controls the interaction of contractile proteins namely actin and myosin (cross-bridge kinetics) to develop a force. To describe the dynamic relationship between $[Ca^{2+}]_i$ and cross-bridge kinetics, a four-state model proposed by Peterson et al. (1991) was employed. To connect the membrane depolarization (FHN model) and the four-state model for E-C coupling, a FHN model was used to give a trigger (timing) for the phasic change in Ca^{2+} ion concentration (Ca^{2+} transient) described by the following function of time (Peterson et al., 1991):

$$[Ca^{2+}]_i(t) = [Ca^{2+}]_{i,max} (t/\tau_{Ca}) \exp(-t/\tau_{Ca}), \quad (3)$$

where $[Ca^{2+}]_{i,max} = 1.2 \mu M$ and $\tau_{Ca} = 80$ ms (Peterson et al., 1991). This equation is analogous to the expression for displacement of a critically damped harmonic oscillator, and thus, this allows for a rapid increase, then a slower decline (Allen and Kurihara, 1982; Yue, 1987).

The binding of Ca^{2+} with regulatory protein troponin C (TnC) releases the inhibition to allow the contractile proteins to form "attached" cross-bridges responsible for force generation. However, because it has been shown that the attached cross-bridges remain attached, even after the unbinding of Ca^{2+} from TnC, the following two states belong to the force-generating populations: 1), TnC binds with Ca^{2+} and a cross-bridge is attached (O), and 2), TnC does not bind with Ca^{2+} but the cross-bridge remains attached (O'). In addition, the following two states are defined: 3), TnC binds with Ca^{2+} but the cross-bridge is detached (U), and 4), TnC does not bind with Ca^{2+} and the cross-bridge is detached (U'). The complete system can be represented by evolutionary equations in matrix form as follows:

$$\begin{bmatrix} \dot{U}' \\ \dot{O}' \\ \dot{U} \\ \dot{O} \end{bmatrix} = \begin{bmatrix} -[Ca^{2+}]_f \times k_1 & k'_d & k_3 & 0 \\ 0 & -[Ca^{2+}]_f \times k_2 - k'_d & 0 & k_4 \\ -[Ca^{2+}]_f \times k_1 & 0 & -(k_a + k_3) & k_d \\ 0 & [Ca^{2+}]_f \times k_2 & k_a & -(k_d + k_4) \end{bmatrix} \begin{bmatrix} U' \\ O' \\ U \\ O \end{bmatrix}, \quad (4)$$

where $[Ca^{2+}]_f$ is the concentration of free calcium (not bound to TnC) and k_1 , k_2 , k_3 , k_4 , k_a , k_d , and k'_d are constants that determine the transition rate between the states. The force is given by the sum of the populations in two "attached" states:

$$F = [O] + [O']. \quad (5)$$

The calculated time courses of normalized membrane potential $x_N = x/x_{max}$ in the FHN model, $[Ca^{2+}]_i$, and F are shown in Fig. 1 A. In this simulation, F was modified so as to incorporate shortening deactivation (Leach et al., 1980) due to the ejection of blood starting at 0.1 s.

Constitutive equation of cardiac muscles

To characterize the properties of cardiac muscles, we adopted the Lin-Yin model (Lin and Yin, 1998) for the constitutive equation based on hyperelastic material theory. In this model, the strain energy potential W is divided into two components: one is passive (W_{pass}), and the other is active (W_{act}):

$$W_{pass} = c_1(e^Q - 1), \quad (6)$$

$$Q = c_2(I_1 - 3)^2 + c_3(I_1 - 3)(I_4 - 1) + c_4(I_4 - 1)^2, \quad (7)$$

$$W_{act} = c_5 + c_6(I_1 - 3)(I_4 - 1) + c_7(I_1 - 3)^2 + c_8(I_4 - 1)^2 + c_9(I_1 - 3) + c_{10}(I_4 - 1). \quad (8)$$

In the above equations, I_1 is the first strain invariant defined as $I_1 = tr C$, where C is the right Cauchy-Green deformation tensor. I_4 is a parameter that represents the deformation in muscle fiber direction defined as $I_4 = nCn$, where n is a unit vector defining the preferred direction of muscle fibers in the undeformed state. Under the assumption of incompressibility, the second Piola-Kirchhoff stress is derived as follows:

$$\begin{aligned} S_{ij} &= -p(C^{-1})_{ij} + 2 \frac{\partial W}{\partial C_{ij}} \\ &= -p(C^{-1})_{ij} + 2 \left(\frac{\partial W_{pass}}{\partial C_{ij}} + \frac{\partial W_{act}}{\partial C_{ij}} \right), \end{aligned} \quad (9)$$

$$\begin{aligned} &= -p(C^{-1})_{ij} + 2 \left(\frac{\partial W_{pass}}{\partial I_1} \frac{\partial I_1}{\partial C_{ij}} + \frac{\partial W_{act}}{\partial I_1} \frac{\partial I_1}{\partial C_{ij}} \right. \\ &\quad \left. + \frac{\partial W_{pass}}{\partial I_4} \frac{\partial I_4}{\partial C_{ij}} + \frac{\partial W_{act}}{\partial I_4} \frac{\partial I_4}{\partial C_{ij}} \right). \end{aligned} \quad (10)$$

Because the mechanical properties of cardiac muscle vary depending on the population of the attached cross-bridges, F , we made the coefficients for the active components, $c_5 \sim c_{10}$, to be functions of F , whereas those for the passive components, $c_1 \sim c_4$, to be constants. To model the phasic change in the stress-strain relationship during the cardiac cycle, the coefficients were expressed as

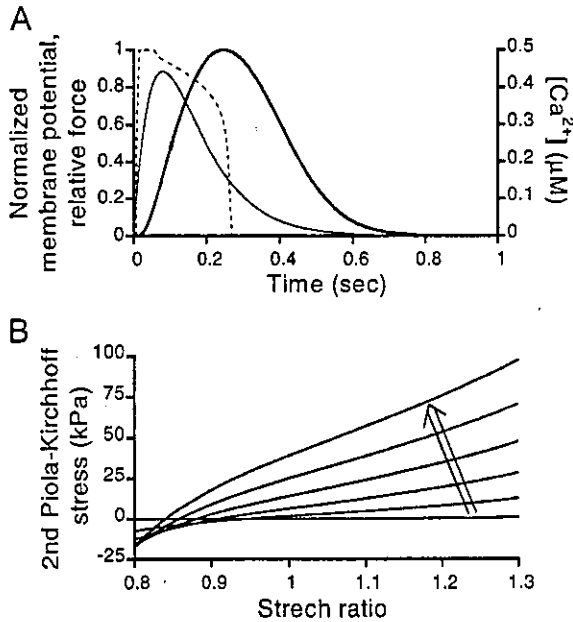


FIGURE 1 Characteristics of cell model (A) dynamic relations among normalized membrane potential (*dashed line*), intracellular calcium concentration $[Ca^{2+}]_i$ (*thin solid line*), and normalized developed force (*thick solid line*) as functions of time. (B) Time-varying stress-strain relationship in fiber direction. As the relative force in A is increased, the stress-strain relation shifts upward left (*arrowhead*).

$$\begin{aligned}
 c_5 &= F_R c_5^{\max}, & c_6 &= F_R c_6^{\max}, & c_7 &= F_R c_7^{\max}, \\
 c_8 &= F_R c_8^{\max}, & c_9 &= F_R^2 c_9^{\max}, & c_{10} &= F_R^2 c_{10}^{\max},
 \end{aligned}
 \quad (11)$$

where F_R is the relative force as defined by $F_R = F/F_{\max}$. In Fig. 1 B, the calculated stress-strain relationships in uniaxial state are shown for various F_R .

FSI analysis

Here, we briefly describe the outline of the fluid-structure interaction FE analysis (for precise formulation; see Zhang and Hisada, 2001). Also a short review of ALE method and strong coupling method are shown in Appendix). The fluid is assumed to be Newtonian. The ALE form of the Navier-Stokes equations are discretized using the Galerkin method and FEM. Upon total Lagrangian formulation, the equilibrium equations for structure are discretized using FEM. The full interaction conditions between the fluid and structure are introduced, i.e., the geometrical compatibility conditions and the equilibrium conditions are given. These conditions are automatically satisfied through the element assemblage process. Thus, the system equations in the strong coupling method are constructed. For the time integration method, the extended predictor-multicorrector algorithm is employed based on the Newmark- β time integration scheme.

In this simulation, the boundaries of the fluid can be assumed to consist of open boundaries and the interface with a deformable structure. Under these boundary conditions, the following methods are employed for mesh control in the fluid domain. The mesh is fixed in space for open boundaries. On the interface with a deformable structure, due to the nature of the strong coupling method, the Lagrangian motion is enforced. In other words, the ALE coordinates are set to be identical to the Lagrangian coordinates on the deformable interface. With these boundary conditions, the motion of the interior nodes is determined by solving the Laplace equation.

FE MODEL OF THE LV

Initial shape of the LV and FE mesh

Although it is an essential requirement for FE analysis to determine the mesh of an object based on the initial shape in an undeformed state under stress-free conditions, it is difficult to know this for a living human LV. Accordingly, we estimated the initial shape based on the following assumptions:

1. The cavity volume of an adult human LV is 120 ml when the pressure of LV (LVP) is 1500 Pa under fully relaxed conditions (at end diastole).
2. Because it has been shown that if isovolumic relaxation phase is forced to proceed at the end-systolic volume (ESV) (normally 40–45% of the end-diastolic volume (EDV), thus being ~50–55 ml in this model), the LVP becomes negative to reach the negative part of the end-diastolic pressure volume relationship. We, therefore, assumed the initial volume of LV (LVV) (LVV at which LVP is 0 Pa) is slightly larger than these ESV values, i.e., 60 ml.

To create an FE mesh of the initial shape of the LV (volume 60 ml), we first generated a mesh from the magnetic resonance (MR) images of an adult human LV at end diastole, then modified it by applying an appropriate negative pressure. The resultant FE mesh is shown in Fig. 2.

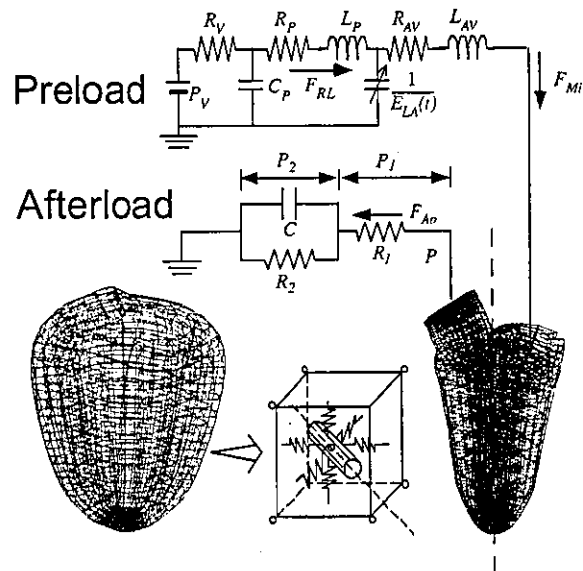


FIGURE 2 Diagram of macroscopic model. FEM meshed for solid (ventricular wall) and fluid (blood) elements are shown with the electrical analog of afterload (systemic arterial tree) and preload (pulmonary circulation with active LA). P_V , pulmonary source pressure; R_V , source resistance; C_P , pulmonary venous capacitance; R_P , pulmonary resistance; L_P , pulmonary inertance; R_{AV} , atrioventricular resistance; L_{AV} , atrioventricular inertance; F_{RL} , pulmonary venous flow; F_{Mi} , blood flow through the mitral valve; q_P and q_{LA} , volumes of the pulmonary venous and LA.

It is known that the ventricular wall consists of multiple layers of muscle bundles (Yoran et al., 1973). In this analysis, the ventricular wall was divided into six layers from endocardium to epicardium, the fiber directions of which were -60° , -30° , 0° , 30° , and 60° , respectively, relative to the plane perpendicular to the long axis of the LV. As for the inflow and outflow of the LV, the following points were taken into consideration. According to the MR imaging data of Kilner et al. (2000), the aorta (Ao) is connected to the LV at an angle of 40° with respect to the long axis of the LV, and the direction of blood flow through the mitral valve is tilted toward the lateral wall by 10° relative to the long axis of the LV. We modeled the inflow and outflow based on these data with a short segment of outflow tract to stabilize the blood flow ejected from the LV (Fig. 2). Also the inflow and outflow velocity profile at the open boundary is assumed constant, i.e., all nodal velocity forced to take the same value.

We used Q1-P0 mixed hexahedral elements (eight nodes for the bilinear velocity or displacement interpolation/constant pressure field) for both the fluid and the structure. To evaluate the spatial convergence of the model, we repeated calculation using two kinds of meshes with different spatial resolution and compared the results. The coarse mesh consisted of 2636 solid and 2448 fluid elements having $\sim 20,000$ no. of degree of freedom (NDOF). The fine mesh consisted of 18,976 solid and 9792 fluid elements having $\sim 120,000$ NDOF.

In the electrophysiological analysis, the same structural mesh was used as an electrophysiological unit. In other words, each FHN cell unit is embedded in each finite element, and it is electrically connected with the cells in the surrounding elements (see Fig. 2). The excitation of one element, thus, conducts to surrounding elements under the assumption of isotropic conduction.

Models of systemic arterial tree and pulmonary circulation including LA

To simulate the systemic arterial tree, the windkessel model (Westerhof et al., 1971) characterized by the following equations was used (see Fig. 2).

$$P = P_1 + P_2 \quad (12)$$

$$F_{Ao} = \frac{P_1}{R_1} \quad (13)$$

$$F_{Ao} = \frac{P_2}{R_2} + C \frac{dP_2}{dt} \quad (14)$$

P is the aortic pressure, F_{Ao} is the blood flow ejected from the LV, R_1 is the characteristic impedance, R_2 is the

peripheral resistance, and C is the capacitance. In this analysis, the following values are employed for these parameters: $R_1 = 1.00 \text{ MPa s/m}^3$, $R_2 = 150 \text{ MPa s/m}^3$, and $C = 0.016 \text{ } \mu\text{m}^3/\text{Pa}$ (Murgo et al., 1980; Stergiopoulos et al., 1999).

To model the dynamics of the LA and pulmonary circulation, an electrical analog model proposed by Alexander et al. (1987) was used with some modifications (Eqs. 15–18).

$$\frac{dq_p}{dt} = \frac{1}{R_V} \left(P_V - \frac{q_p}{C_P} \right) - F_{RL} \quad (15)$$

$$\frac{dq_{LA}}{dt} = F_{RL} - F_{Mi} \quad (16)$$

$$\frac{dF_{RL}}{dt} = \frac{1}{L_P} \left(\frac{q_p}{C_P} - R_P F_{RL} - E_{LA} q_{LA} \right) \quad (17)$$

$$\frac{dF_{Mi}}{dt} = \frac{1}{L_{AV}} (E_{LA} q_{LA} - R_{AV} F_{Mi} - P_{LV}). \quad (18)$$

Atrial function is usually characterized in terms of reservoir, conduit, and pump function. In this model, the LA was characterized by the time-varying elastance defined as $E_{LA} = P_{LA}/(q_{LA} - q_0)$, where P_{LA} is pressure of LA (LAP), q_{LA} is volumes of LA (LAV), and q_0 is the volume axis intercept. To model the reservoir and pump function of LA, the time course of E_{LA} (time varying elastance of LA) was defined as follows: 1), in the resting state in which LA acts as a reservoir, LAP was a linear function of LAV, i.e., $E_{LA}(t)$ was constant, $E_{LA}(t) = 13.3 \text{ MPa/m}^3$; and 2), the contraction of LA started 0.15 s earlier than that of the LV (atrio-ventricular conduction delay) and lasted for 0.2 s with a time course approximated by a sinusoid, $E_{LA}(t) = 13.3 + 26.7 \sin(2\pi(t - t_0 + 0.15)/0.4) \text{ MPa/m}^3$, where t_0 is cardiac cycle. P_V is the pulmonary source pressure, R_V is the source resistance, C_P is the pulmonary venous capacitance, R_P is the pulmonary resistance, L_P is the pulmonary inertance, R_{AV} is the atrioventricular resistance, L_{AV} is the atrioventricular inertance, F_{RL} is the pulmonary venous flow, F_{Mi} is the blood flow through the mitral valve, q_p is the volume of the pulmonary venous, and P_{LV} is the pressure boundary condition for the FSI model (see Fig. 2). The following values are assumed for these parameters: $P_V = 1600 \text{ Pa}$, $R_V = 0.333 \text{ MPa s/m}^3$, $C_P = 0.0525 \text{ } \mu\text{m}^3/\text{Pa}$, $R_P = 12.0 \text{ MPa s/m}^3$, $L_P = 0.133 \text{ MPa s}^2/\text{m}^3$, $R_{AV} = 3.47 \text{ MPa s/m}^3$, $L_{AV} = 0.267 \text{ MPa s}^2/\text{m}^3$.

Material properties

The coefficients in the passive part of the Lin-Yin model (c_1 – c_4) were determined so that the LVV becomes 120 ml when the LVP is 1500 Pa under fully relaxed conditions. This was

achieved by using 80% of the average value reported by Lin and Yin (Lin and Yin, 1998). The coefficients in the active part (c_5 – c_{10}) were also determined to meet the following conditions:

1. Isolated cardiac myocytes contract up to 20% under an unloaded condition.
2. The maximum value of the time derivative of the LVP ($\max dP/dt$) is between 200 kPa/s (1500 mmHg/s) and 240 kPa/s (1800 mmHg/s) in isovolumic contraction phase.

First, we determined the c_{10} required to fulfill condition

1. Then, $c_5 \sim c_9$ were determined to achieve condition
2. The coefficients thus determined were as follows: $c_1 = 82.4$ Pa, $c_2 = 7.30$, $c_3 = 1.86$, $c_4 = 0.0640$, $c_5^{\max} = 0.0$, $c_6^{\max} = -6.39$ kPa, $c_7^{\max} = 18.0$ kPa, $c_8^{\max} = 17.4$ kPa, $c_9^{\max} = 7.61$ kPa, $c_{10}^{\max} = 19.4$ kPa. In addition, the density of cardiac muscle was assumed to be $\rho = 1.37 \times 10^3$ kg/m³, the density of blood $\rho = 1.06 \times 10^3$ kg/m³, and the viscosity of blood $\mu = 4.71 \times 10^{-3}$ Pa s.

Simulation

In the case of normal contraction, the excitation conducting from the atria spreads rapidly over the entire endocardium via the conduction system (Purkinje fibers) and then propagates toward the epicardium within a short period of time (<40 ms). To meet this condition, Eqs. 1 and 2 are solved with the following nondimensional initial values and coefficients: $x = 1.20$, $y = 0.624$, $a = 0.70$, $b = 0.80$, $c = 0.70$, $g = 1.00$, and $z = 20.0$, and the stimulation time of 50 ms was imposed on all of the elements in the endocardium.

The following boundary and initial conditions were set for each period during the cardiac cycle. During the isovolumic contraction period, both the mitral and aortic valves were closed so that the flow velocity was zero at those two boundaries. The initial value of LVV was 120 ml at an LVP of 1500 Pa under fully relaxed conditions. Then, the muscles were activated by the excitation-contraction mechanism (represented by the FHN model and the four-state model) to increase the LVP. When the LVP exceeded the aortic pressure (AP) calculated by the windkessel model, the aortic valve opened. During the ejection period, with the mitral valve closed, the pressure boundary condition given by the windkessel model was applied to the open aortic valve area. The FSI FE model and the windkessel model were iteratively calculated to determine the equilibrium state, and when backward flow occurred in the aorta, the aortic valve closed to finish ejection. From this point, the windkessel was disconnected from the LV and its status was calculated under the condition that $F_{Ao} = 0$ until the next cardiac cycle. During isovolumic relaxation period, the relaxation of cardiac muscles proceeded while both the aortic and mitral valves closed. When the LVP fell below the LAP, the mitral valve opened, and the filling period began. Based on these

assumptions, we simulated three cycles of contractions for a heart rate (HR) of 60, 75, 90, and 120 beats per minute (one cardiac cycle: 1.0 s, 0.8 s, 0.665 s, and 0.5 s, respectively). In this model, Ao and LA are not modeled by finite element, so that the displacement and the velocity of the node located in the atrio-ventricular ring are fixed to zero though the cardiac cycle. The time step is set to 1.0 ms during the ejection phase, and 2.5 ms in other phases.

RESULTS AND DISCUSSION

Convergence of the model

Aortic and mitral flows during the cardiac cycle calculated with coarse and fine meshes are compared in Fig. 3 A. Traces for two kinds of meshes were almost superimposable with the maximum aortic flow being 464 ml/s (coarse) and 484

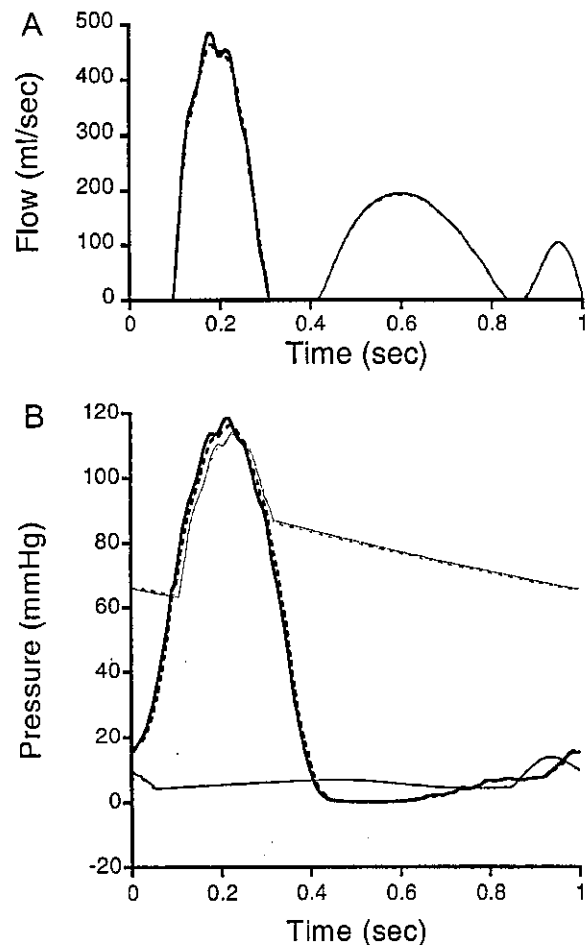


FIGURE 3 Comparison of two kinds of meshes with different spatial resolution (A) LV inflow and outflow are shown for the fine (solid line) and the coarse (dashed line) meshes. (B) LVP (thick lines), AP (hair lines), and LAP (thin lines) are shown for the fine (solid lines) and the coarse (dashed lines) meshes.

ml/s (fine), and the maximum mitral flow 192 ml/s (coarse) and 195 ml/s (fine). Similarly, LV, aortic, and LA pressures agreed reasonably well between the two kinds of meshes (Fig. 3 B). From these results, it is concluded that the results with the coarse mesh had enough accuracy but we presented the results obtained from the fine mesh in the following text so as to understand the flow field visually better. However, because, we consider that the current mesh discretization is still insufficient for resolving the boundary layer of fluid, we

are trying to further improve the model with the higher performance computers and parallel processing.

Activation and intraventricular flow pattern

Time-lapse images of LV contraction and resultant blood flow are shown in Fig. 4 together with the activation of myocardial tissue (strain in the fiber direction). (Also see Supplementary Material.) Myocardial strain develops initially

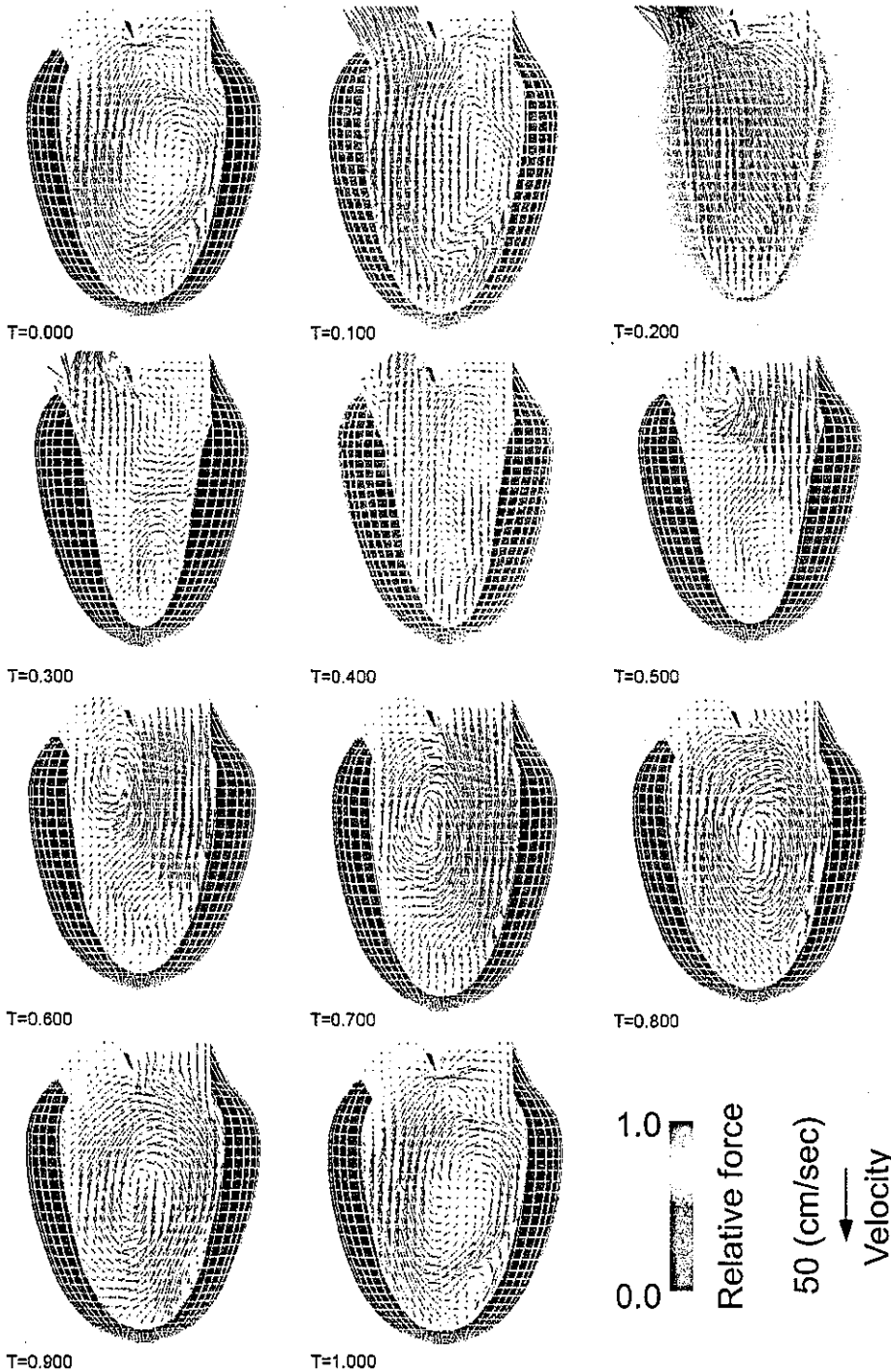


FIGURE 4 Time-lapse images of LV contraction and intraventricular blood flow. Numbers in each plate indicate the time after the onset of activation in seconds. Activation level (relative force) is shown in color coding. Velocity of blood is shown as the length of the arrows.

at the endocardium then spreads toward the epicardium and relaxes from the endocardium (0.4 s). Compared to the slow propagation in strain development, relaxation was relatively fast, because, in this simulation, relaxation was accelerated by the shortening deactivation. It is of note that blood flow continues even in isovolumic period (both valves closed) and forms a large vortex (0.0–0.1 s). This phenomenon has been recently reported by MR imaging technique and considered to facilitate blood ejection during the following period (Kilner et al., 2000). To facilitate the understanding on flow dynamics in the ventricle, LVP, and flow distributions are shown at the beginning of contraction (Fig. 5, *left*), during ejection (Fig. 5, *middle*), and during filling period (Fig. 5, *right*). The flow continues even where the pressure gradient is minimal indicating that the intraventricular flow pattern is governed also by the momentum of the blood. Those figures also confirm the fact that the pressure is low where fast flow is observed (Bernoulli's law).

Wall motion

Changes in geometry including the wall motion during the LV contraction and relaxation in Fig. 4 are summarized in Fig. 6. In clinical cardiology, atrio-ventricular valve plane displacement and its velocity are used as important indices of pump function of LV (Alam and Hoglund, 1992; Hoglund et al., 1988; Lundback, 1986). However, because this model does not include LA and/or Ao as structural entities, the LV was fixed in space at the atrio-ventricular valve plane. Therefore, we analyzed the long axis displacement by measuring the vertical displacement of the apex as an alternative (Fig. 6 A). As reported using echocardiography, the model ventricle shortened during ejection and lengthened during filling, but the maximum long axis displacement of LV (~10 mm) was definitely smaller compared to the reported value for normal subjects (~16 mm) (Alam and Hoglund, 1992; Hoglund et al., 1988; Lundback, 1986). If we look closer at the time course (Fig. 6 A), we can identify a hump immediately after the lengthening caused by the rapid filling (0.8–1.0 s). This was caused by the rebound shortening of the model ventricle without damping property and could be the cause of smaller vertical displacement. The lack of damping property also caused oscillations of

relatively high frequency (~20 Hz) during ejection (Fig. 6, A and B). Ventricular torsion is shown in Fig. 6 B. During contraction, LV initially twisted clockwise by a small amount, then a counter-clockwise direction as it ejected the blood. Moon et al. studied the torsion of canine LV using radio-opaque marker technique and reported the similar time course of torsional deformation with the maximum amplitude of ~6° at baseline and ~17° under inotropic intervention (Moon et al., 1996). This result also agreed with this observation. Wall thickness and its time derivative (rate of thickness change) are shown in Fig. 6 C. During systole, wall thickness increased by ~5mm. It is well known that, at end systole, the wall thickness of septum is twice as large as that of posterior wall (Lundback, 1986). The value obtained from the current model with axisymmetric structure was between those reported for septum and posterior wall. During the filling period, wall thickness rapidly decreased with the peak rate of ~3.2 cm/s. This value is smaller than that of diastolic posterior wall velocity for normal subject by Fujii et al. (7.3 cm/s) (Fujii et al., 1979) but definitely larger than that for interventricular septum estimated from the Fig. 1 of the same report. We consider that this was also due to the axisymmetric shape of the model ventricle.

Hemodynamic parameters and filling dynamics

Hemodynamic parameters during the LV contraction and relaxation in Fig. 3 are summarized in Fig. 7. As is shown in the pressure-volume diagram (Fig. 7 A), the simulated LV achieved normal ejection fraction (55%) with 66 ml of stroke volume (corresponding cardiac output = $0.066 \times 60 = 4.0$ L/min). Nonlinear pressure-volume relation of LV during diastole was also reproduced. Fig. 4 B shows the changes in LVP, LAP, and AP during cardiac cycle. It is of note that, during ejection period, the LVP was higher than the AP at the beginning but the AP exceeded the LVP in the latter part of the phase, although ejection still continued (Fig. 7 B, *inset*). This phenomenon has been reported in animal experiments and considered to be caused by the inertia of the blood (Noble, 1968). At the time of mitral valve opening, LA pressure is higher than LV pressure but they gradually equilibrate as the LV is filled with the blood from LA and LV pressure exceeds in mid-diastole. At end-diastole, LA

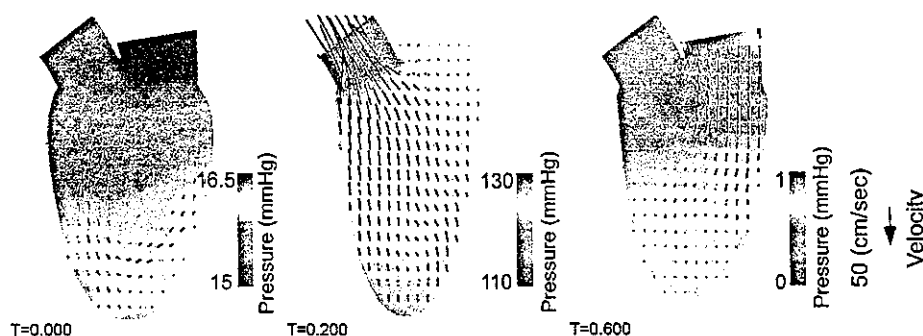


FIGURE 5 Intraventricular flow and pressure distribution. Numbers in each plate indicate the time after the onset of activation in seconds. Pressure level is shown in color coding. Velocity of blood is shown as the length of the arrows.

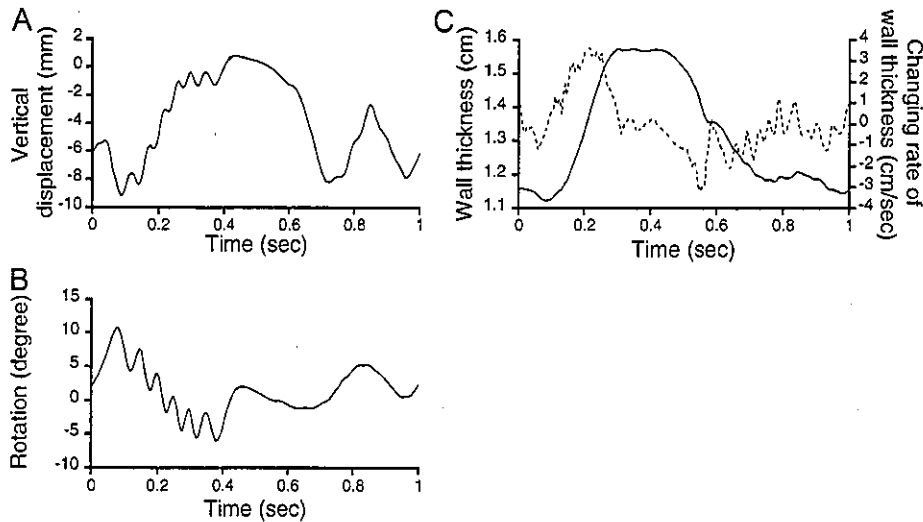


FIGURE 6 Wall motion of the simulated LV. (A) Vertical displacement, (B) rotational movement, (C) wall thickness (solid line), and changing rate of wall thickness rate (dashed line).

pressure again becomes higher because of the active contraction of LA. These changes in *trans*-mitral pressure differences accelerate and decelerate the blood flow across mitral valve to result in early rapid filling (E) wave and atrial contraction (A) wave shown in Fig. 7 C. Obviously, the amplitude of E-wave is greater than A-wave as is the case with normal heart. All these results are in good agreement with experimental studies (Ishida et al., 1986; Steine et al., 2002). The change in LVV induced by these outflow and inflow is shown with the concomitant change in LAV (Fig. 7

D). The volumes of these two chambers changed in a symmetrical manner but the sum of them did not remain constant because of the direct flow from pulmonary circulation to LV (conduit function of LA). When normalized to the end diastolic value, the sum (LVV + LAV) varied by ~25% with the maximum deviation occurring at end systole, which agreed well with reported data for normal subjects (Bowman and Kovacs, 2004).

The FSI analysis could simulate another important index of LV diastolic filling. Recently, it is proposed that the

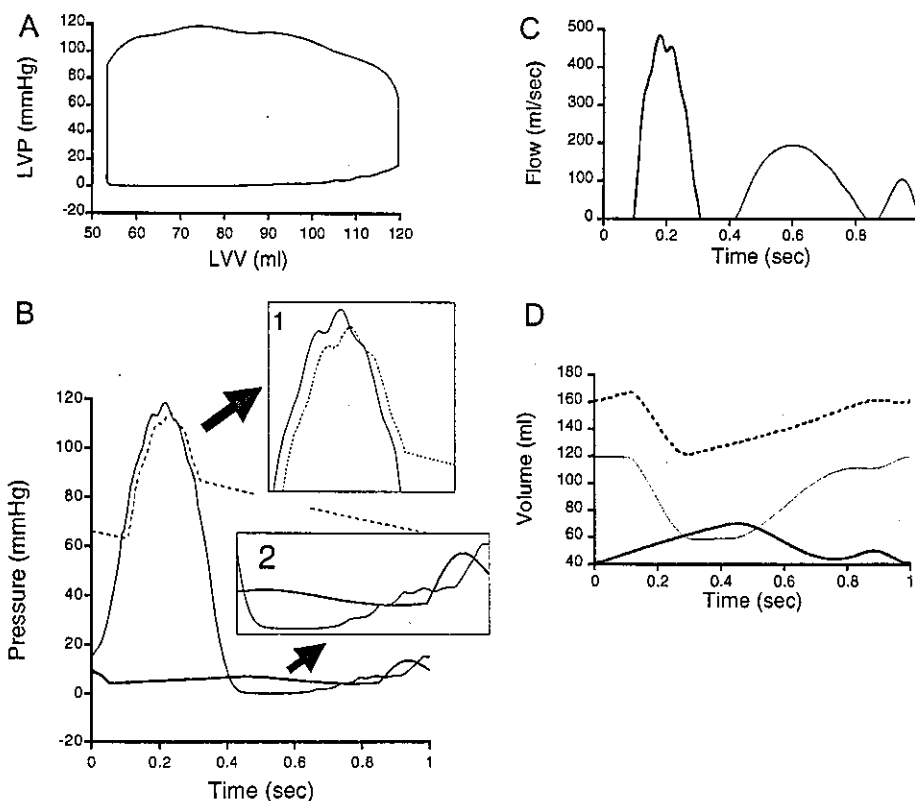


FIGURE 7 Hemodynamics of the simulated LV. (A) Pressure-volume diagram, (B) dynamic changes in LVP (thin solid line), AP (dashed line), and LAP (thick solid line). (Insets) Magnified views of the relation between (1) LVP and AP during ejection (2) LVP and LAP during filling. (C) Aortic flow (thick solid line) and mitral flow (thin solid line). (D) Time courses of LVV (thin solid line), LAV (thick solid line), and total volume of LV and LA (dashed line).

diastolic flow wave front velocity measured by color M-mode echocardiography along the line connecting the mitral valve and apex (wave propagation velocity) can be a useful index of ventricular relaxation property. According to the practice, we plotted the color-coded flow velocity data at each sampling point (measured as the distance from the mitral valve) on the y axis as a function of time in Fig. 8. The flow wave front during early filling period is identified as a linear margin and the flow propagation velocity is defined as the slope of this linear segment. The wave propagation velocity thus evaluated is ~ 0.8 m/s, which again agreed well with reported data for normal subjects (Brun et al., 1992).

Effect of heart rate

To study the effect of heart rate, we performed the simulation at 60, 75, 90, and 120 beats/min and compared the results in Fig. 9. As the heart rate increased, E- and A-waves of diastolic filling merged and became indistinguishable whereas the aortic flow remained relatively constant until the heart rate reached 120. These results are qualitatively similar to clinical observations but the transition occurred at a much lower heart rate. Possible reasons for this discrepancy are: 1), durations of contraction of LV and LA was fixed, and 2), atrio-ventricular conduction delay was fixed at 0.15 s. In physiological settings, both of these parameters were controlled by neuronal and hormonal regulations to compensate for the curtailed time for diastolic filling.

Comparison with other methods

Detailed models of the ventricles having fiber orientations and sheet structure have already been constructed (Costa et al., 2001; LeGrice et al., 2001; Nash and Hunter, 2000). By coupling these models with cellular models of electro-

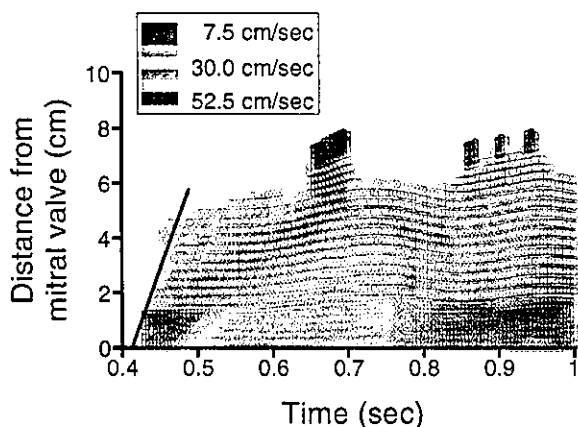


FIGURE 8 Color-coded map of the flow velocity along the long axis of the LV. At each time point (ordinate), flow velocity is shown in color at each distance from the mitral valve (abscissa). The slope of the thick line connecting wave front is the wave propagation velocity. Velocity level is shown in color coding.

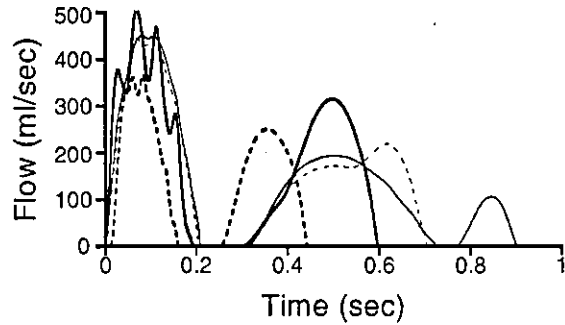


FIGURE 9 Aortic and mitral flows at different HR (thin solid line, HR = 60 bpm; thin dashed line, HR = 75 bpm; thick solid line, HR = 90 bpm; thick dashed line, HR = 120 bpm).

physiology, propagation of activation was simulated for normal and ectopic excitation (Kohl et al., 2000; Winslow et al., 2000). These anatomical models were also used to establish relations between global hemodynamics to regional mechanics of the myocardial tissue (Nash and Hunter, 2000; Stevens and Hunter, 2003; Usyk et al., 2000). Although these researchers successfully reproduced the three-dimensional strains (Nash and Hunter, 2000; Usyk et al., 2000) and sarcomere length (Stevens and Hunter, 2003) at various sites in the ventricular wall during both diastole and systole, these simulations differ from this model in the following respects: 1), tissue properties are characterized by constitutive equation that bears no relation to the subcellular mechanisms (Costa et al., 2001; Huyghe et al., 1992) or, even if related, which are not dynamic functions of time (only at end-systole) (Nash and Hunter, 2000); and 2), intraventricular flow and its interaction with the ventricular wall were not take into consideration. As a result, these models do not provide us with any information on the flow dynamics during ventricular ejection and filling. Although Peskin and colleagues (Kovacs et al., 2001; McQueen and Peskin, 2000), using immersed boundary method, reported the detailed flow mapping in the four chambers of the heart and great vessels, their methodology, in principle, does not allow one to incorporate the subcellular mechanisms to the material property.

Simulation of diastolic filling

With the advancement of Doppler echocardiography, a pattern of LV filling has been analyzed to detect the diastolic dysfunction. Although, so far, several indices have been proposed such as the peak velocity of early rapid filling, atrial contraction, their ratio, and the acceleration and deceleration times of the early filling wave, they are mostly empirical in nature (Thomas and Weyman, 1991). Accordingly, simulation (Kovacs et al., 1987; Meisner et al., 1991; Thomas and Weyman, 1991, 1992) as well as experimental studies (Ishida et al., 1986) has been performed to establish a link between the tissue property and filling pattern. Thomas

and Weyman (1991, 1992), using a lumped parameter model, successfully simulated the influence of the left ventricular relaxation rate on the peak velocity of early rapid filling, atrial contraction, and their ratio, but it is beyond the scope of the lumped model to examine the effect of the propagation of excitation and/or detailed cellular function. Furthermore, flow propagation velocity, which is now emerging as a useful index of ventricular relaxation rate (Brun et al., 1992), can only be simulated by the three-dimensional fluid-structure-interaction model in this study. We are now attempting to simulate the filling patterns in various diseased states including cardiomyopathy and ischemia.

Study limitation

Toward the complete modeling of the left ventricular filling, there are still many aspects to be added to the current model. Because of the limitation in computational power, LA was modeled as an electrical analog circuit. This treatment might have obscured the physiology of LA, which is usually characterized by reservoir, conduit, and pump function. However, from the analogy to LV time-varying elastance model (Suga and Sagawa, 1974), pump function can be characterized by the maximum value of elastance of LA ($E_{LA}(t)$ in Fig. 2). Reservoir function is evaluated by the difference between the maximum and minimum LA volumes (LA reservoir volume), which is influenced by the minimum value of $E_{LA}(t)$. Conduit function can also be evaluated by the difference between LV stroke volume and LA reservoir volume in Fig. 7 D. However, to study the ventricular stroke under a variety of conditions ranging from normal to abnormal, LA with realistic shape and tissue property is necessary.

The constitutive equation proposed by Lin and Yin (1998) was employed to model the myocardial tissue in which material property was divided into passive and active parts. Active part represents the change in myocyte property induced by the cross-bridge formation. Passive property of the myocardium is determined by the extracellular matrix (collagen) and passive components of myocyte (cytoskeleton including titin). Considering the complexity and importance of passive property of these components (Hein et al., 2002), a detailed model is required to simulate various diseased state such as cardiac hypertrophy; however, in this model, all these parameters are lumped in the anisotropic stress-strain relations.

It is recognized that diastolic function is determined by dynamic and passive chamber stiffness and relaxation of the ventricle. In this model, relaxation is characterized by the time constant for the decay of Ca^{2+} transient (τ_{Ca} in Eq. 3). Passive chamber stiffness is formulated by the constitutive equation representing the passive component (Eq. 6). However, we did not incorporate the dynamic property of chamber stiffness in the model. Although it has been shown

that the difference between dynamic and passive diastolic property is slight in a normal subject, there is a marked discordance in diseased states such as hypertrophic cardiomyopathy (Pak et al., 1996). Dynamic property should also be incorporated in the future modeling.

The FitzHugh-Nagumo model was adopted for simulating electrical activity in this model. As this is obviously an oversimplification of reality in which many transmembrane ionic currents (Na, K, Ca, Cl, etc.) and intracellular $[Ca^{2+}]$ dynamics determine depolarization, we are now improving the model by incorporating ion channel models proposed by Faber and Rudy (2000) with 16 membrane currents.

SUMMARY

To simulate the contraction and the filling dynamics of LV, an ALE fluid-structure interaction FE code was developed and coupled with the electrical analog of the LA and pulmonary circulation. Although the descriptions of each component were not novel, to our knowledge, this is the first report in which subcellular molecular events were integrated to produce macroscopic blood flow that routine clinical tests can reveal for each individual. The results of the simulation reproduced well the clinical observation concerning the indices of diastolic function. With further improvements, the simulator can be truly a practical tool for the study of heart disease and clinical diagnosis.

APPENDIX

This section briefly describes the ALE method and strong coupling method. (for precise formulation, see Zhang and Hisada, 2001). Based on the work by Huerta and Liu (1988), the ALE method is formulated for a deformable fluid domain as follows. We assume the viscous fluid to be isothermal and that, $\partial P/\partial \rho = B/\rho$ with B , P , and ρ being the fluid bulk modulus, the pressure, and the fluid density, respectively. The ALE form of the Navier-Stokes equations can be expressed as

$$\frac{1}{B} \frac{\partial P}{\partial t} \Big|_x + \frac{1}{B} c_i \frac{\partial P}{\partial x_i} + \frac{\partial v_i}{\partial x_i} = 0 \quad \text{in } R_t^f, \quad (A1)$$

$$\rho \frac{\partial v_i}{\partial t} \Big|_x + \rho c_i \frac{\partial v_i}{\partial x_j} = \frac{\partial \sigma_{ij}}{\partial x_j} + \rho g_i \quad \text{in } R_t^f, \quad (A2)$$

where $\partial(\cdot)/\partial t|_x$ is the time derivative in the ALE coordinates, the velocity of which is v_m , and the convective velocity $c = v - v_m$. σ is the Cauchy stress and g the acceleration of gravity. R_t^f denotes the spatial domain with the boundary ∂R_t^f at time t . The superscript f stands for the fluid component. The fluid is assumed to be Newtonian. Using the Galerkin method and finite element discretization for Eqs. A1 and A2, we obtain the following equations in the matrix form:

$$M^P \cdot \dot{P} + \Lambda^P \cdot P + G^T \cdot V = 0, \quad (A3)$$

$$M \cdot \dot{V} + \Lambda \cdot V + K_\mu \cdot V - G \cdot P = F, \quad (A4)$$

where M^P and M are the generalized mass matrices for pressure and velocity, respectively, and Λ^P and Λ are the generalized matrices of convective terms for pressure and velocity, respectively. K_μ is the fluid viscosity matrix, G is the divergence operator matrix, \dot{P} and \dot{V} are the

time derivatives of the pressure and velocity vectors, respectively, in the ALE coordinates, and \mathbf{F} is the external force vector. As for the stabilization, standard streamline upwind/Petrov Galerkin formulation (Tezduyar et al., 1992) is employed.

Let R_i^s be the spatial domain of a structure. Here the superscript s stands for the structural component. The equilibrium equations for structure are:

$$\rho \frac{\partial^2 u_i}{\partial t^2} = \frac{\partial \sigma_{ji}}{\partial x_j} + \rho^s g_i \quad \text{in } R_i^s. \quad (\text{A5})$$

Upon total Lagrangian formulation and finite element discretization, a nonlinear system of equations is obtained in the matrix form, and the incremental form at each time step is given as follows:

$$\mathbf{M}\Delta\dot{\mathbf{U}} + {}^t\mathbf{K}\Delta\mathbf{U} = {}^{t+\Delta t}\mathbf{F} - {}^t\mathbf{Q}^s. \quad (\text{A6})$$

Here, \mathbf{M} is the mass matrix, \mathbf{K} the tangent stiffness matrix, and \mathbf{F} the external force vector. \mathbf{Q}^s is composed of the internal force and the inertial force of the structure, and $\Delta\dot{\mathbf{U}}$ and $\Delta\mathbf{U}$ are the increments of the acceleration and the displacement vectors, respectively.

The full interaction conditions between the fluid and structure are introduced, i.e., the geometrical compatibility conditions:

$$v_i^f = v_i^s \quad (i = 1, 2, 3) \quad \text{in } \partial R_i^c, \quad (\text{A7})$$

and the equilibrium conditions:

$$\sigma_{ji}^f n_j^f + \sigma_{ji}^s n_j^s = 0 \quad (i = 1, 2, 3) \quad \text{in } \partial R_i^c, \quad (\text{A8})$$

are given, where n^f and n^s are the outward normals corresponding to the fluid and the structure, respectively, and ∂R_i^c is the interface between the fluid and the structure.

The above conditions are automatically satisfied through the element assemblage process. Thus, the system equations in the strong coupling method are constructed, and the incremental form can be expressed as

$${}^t\mathbf{M}^{\text{fs}}\Delta\varphi^{\text{fs}} + {}^t\mathbf{C}^f\Delta\varphi^{\text{fs}} + {}^t\mathbf{K}^s\Delta\mathbf{U}^s = {}^{t+\Delta t}\mathbf{F} - {}^t\mathbf{Q}^{\text{fs}}, \quad (\text{A9})$$

where φ^{fs} and \mathbf{U}^s are the variable vectors of the coupled system, as defined by

$$\varphi^{\text{fs}} = \begin{Bmatrix} \mathbf{P} \\ \mathbf{V}_i^f \\ \mathbf{V}_c \\ \mathbf{V}_i^s \end{Bmatrix}, \quad \mathbf{U}^s = \begin{Bmatrix} - \\ - \\ \mathbf{U}_c \\ \mathbf{U}_i^s \end{Bmatrix}. \quad (\text{A10})$$

Here, \mathbf{P} is the pressure of the fluid, \mathbf{V}_i^f the velocity vector of the fluid independent of the structure, \mathbf{V}_c the coupled velocity vector, \mathbf{V}_i^s the velocity vector of the structure independent of the fluid, \mathbf{U}_c the coupled displacement vector, and \mathbf{U}_i^s the displacement vector of the structure independent of the fluid. In Eq. A9, \mathbf{F} denotes the external force vector of the coupled system and \mathbf{Q}^{fs} the equivalent internal force vector including all effects. \mathbf{M}^{fs} denotes the mass matrix composed of those for the fluid and the structure. \mathbf{C}^f consists of the divergence, viscous, and convective terms of the fluid. \mathbf{K}^s is the tangent stiffness matrix of the structure.

SUPPLEMENTARY MATERIAL

An online supplement to this article can be found by visiting BJ Online at <http://www.biophysj.org>.

The authors thank Dr. K. Sunagawa, Dr. M. Sugimachi, Dr. K. Nakazawa, and Dr. M. Inagaki at the National Cardiovascular Research Center for their valuable comments.

This work was supported in part by the grants from Core Research for Evolutional Science and Technology of the Japan Science and Technology Agency and National Cardiovascular Research Center, The Program for Promotion of Fundamental Studies in Health Sciences of the Organization for Pharmaceutical Safety and Research, Suzuken Memorial Foundation, and The Research Grant for Cardiovascular Disease from the Ministry of Health, Labor and Welfare.

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Development of an Implantable Undulation Type Ventricular Assist Device for Control of Organ Circulation

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Abstract: It is well known that a rotary blood pump (RP) is effective as a small ventricular assist device (VAD). It might be still more effective if pulsation was available. The undulation pump (UP), which is a type of small RP, can also produce pulsation. In Japan, a development project for an implantable type UP ventricular assist device (UPVAD) is now advanced. Six universities and some companies together have been in charge of the development project for 5 years. In this study, the influence which the UP under development has on circulation in internal organs was investigated. Goats with the same weight as an average Asian person were used for the experiment. The left chest cavity was opened after resection of the fourth rib and the heart was approached. A cannula was inserted in the left ventricle from the apex. An outflow cannula was inserted into the left descending aorta. Heart muscle was excised using a newly developed puncher. The UPVAD

was implanted using a left-heart bypass system. The myocardial blood flow, carotid arterial blood flow, and the kidney blood flow were recorded together with an electrocardiogram, blood pressure, and the flow rate. In these animal experiments, the blood circulation dynamic state was stabilized and sufficient support of the left heart was observed. Myocardial blood flow, carotid arterial flow, and a kidney blood flow increase resulting from UPVAD support was observed. Often the problem of multiple organ failure is important at the time of clinical application of a ventricular assist device. Assisting circulation to internal organs is important for prevention of multiple organ failure. It was concluded that the UPVAD might be useful for prevention of multiple organ failure. **Key Words:** Undulation pump—Ventricular assist device—Organ circulation—Multiple organ failure—Laser doppler flowmeter.

It is well known that the rotary blood pump (RP) is effective as a small ventricular assist device (1,2). However, pulsation is hard to generate using a rotary blood pump (3,4).

Received March 2004.

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Presented at the 11th Congress of the International Society for Rotary Blood Pumps, held August 31–September 2, 2003, in Bad Oeynhausen, Germany.

Japanese people are small compared to European people. Asian people like Japanese need small assist devices (5–8). However, when we consider the pumping chamber, it is difficult to make a small heart because we also need an actuator to drive the pumping chamber. In the natural heart, the ventricle is made up of the myocardium, so that an actuator is not needed. It is difficult to find space for an actuator in the body.

A rotary blood pump is desirable because it does not need a pumping chamber. However, an effective pulse is difficult to achieve in a rotary blood pump, because there is no pumping chamber.

The design of the Wankel engine means that a pulse may be generated by the small chamber inside (8,9). At the University of Tokyo, a new type of blood pump is under development (10-12). In this pump system, named an undulation pump (UP), the pumping chamber was created on the upper and lower side of the diaphragm. The pumping chamber is small, but, it can make a pulse by a rotation action.

In this work, a UP-type ventricular assist device was developed for implantation by the cooperative study of various universities and companies. Recent progress with the UPVAD and preliminary data from animal experiments is noted in this article.

IMPLANTABLE UNDULATION PUMP VENTRICULAR ASSIST DEVICE

The requirement for a small VAD is satisfied by the use of a rotary blood pump; however, the VAD may be more effective if it can generate pulsation. We have studied the undulation pump (UP), a small RP which can also generate pulsation. In Japan, the development project to create an implantable UP ventricular assist device (UPVAD) is advanced now. Six universities and various companies have together been in charge of the development project for 5 years.

The UPVAD developed in the project is shown in Fig. 1. A small VAD was achieved in this project.

The UPVAD with inflow and outflow cannulae and control unit before use in an animal experiment is shown in Fig. 2. This shows the implantable part of the UPVAD system. The control logic was developed in the University of Tokyo, and the detailed algorithm was designed in Tohoku University (13,14). The implantable IC system was made at Research Center for Advanced Science and Technology (RCAST) in the University of Tokyo.

For the system to be totally implantable, one of the important considerations is the energy support sys-

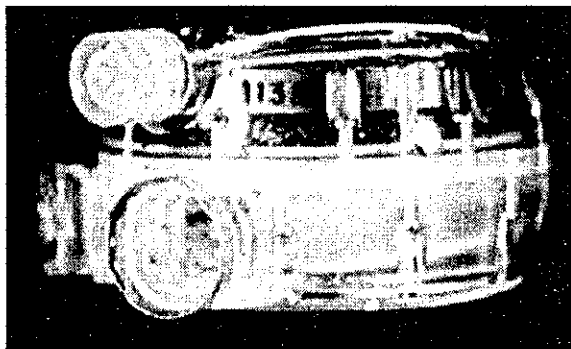


FIG. 1. An undulation type ventricular assist device (UPVAD).

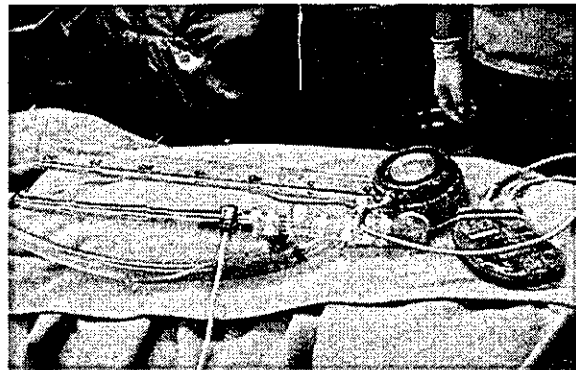


FIG. 2. UPVAD with inflow and outflow cannulae, and an implantable control unit.

tem (15-19). In Tohoku University, a highly efficient transcutaneous energy transmission system (TETS) has been developed by the use of amorphous fibers for the magnetic shielding (20). For the UPVAD a smaller TETS was developed and this is shown in Fig. 3. For the UPVAD, the TETS was redesigned and reduced in size. In the figure, the outer diameter is 60 mm and internal diameter is 30 mm. It will be easily implantable in the body.

The information transmission system was developed in Hokkaido Tokai University, and flow patterns were simulated in Hokkaido University. Only one jelly fish valve was implanted in the outflow can-

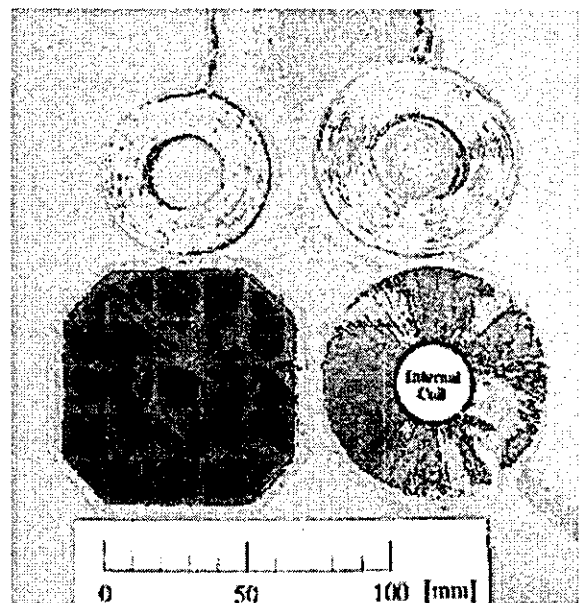


FIG. 3. Minitualization of the transcutaneous energy transmission system: outer diameter is 60 mm and internal diameter is 30 mm in the reduced version.

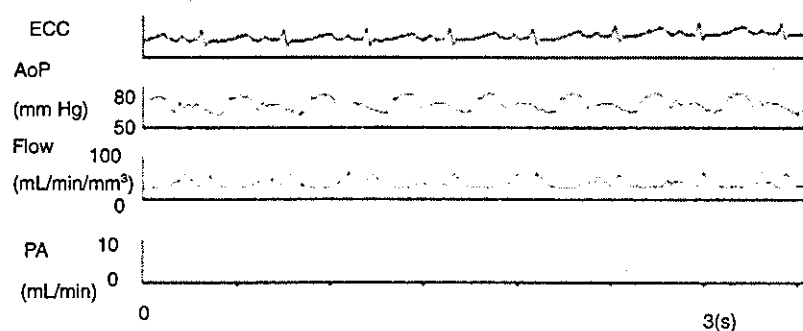


FIG. 4. Time series data for ECG, blood pressure, flow, velocity, mass index of the myocardial tissue, cardiac output measured at the pulmonary artery are shown.

nulae: this was designed in Waseda University. Coating materials were studied in Kyushu University.

These systems were developed in the six universities and animal experiments were performed at Tohoku University.

ANIMAL EXPERIMENTS

In this study, we investigated the influence which this new UP under development has on the circulation in internal organs. Goats with the same weight as an average Asian person were used for the experiment.

The left chest cavity was opened following resection of the fourth rib and the heart was approached. A cannula was inserted in the left ventricle from the

apex. An outflow cannula was inserted into the descending aorta. Heart muscle was excised using a newly developed puncher. The UPVAD was implanted using a left-heart bypass system. The myocardial blood flow, carotid arterial blood flow, and the kidney blood flow were simultaneously recorded together with an electrocardiogram, blood pressure, and flow rate.

RESULTS

In the animal experiments, hemodynamic parameters were stabilized and maintained within the normal range, and furthermore sufficient left-heart support was observed.

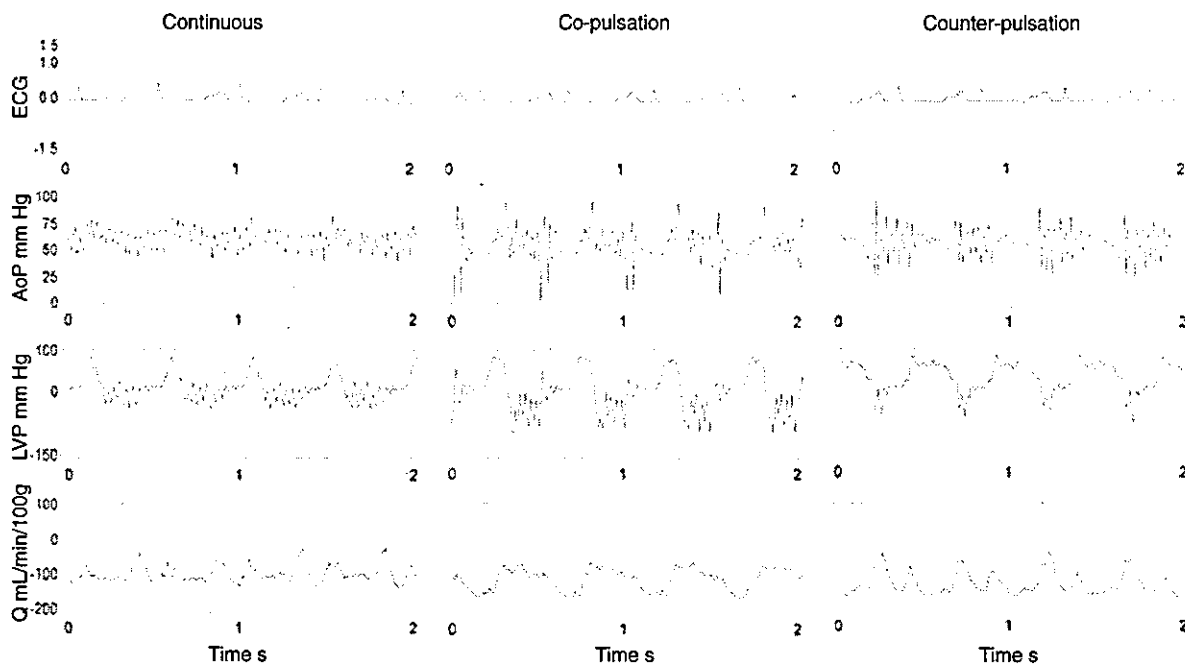


FIG. 5. An example of the effects of various pumping modes of UPVAD on the myocardial tissue mass index in the myocardium during an animal experiment together with hemodynamic parameters like arterial blood pressure, left ventricular pressure, and ECG.

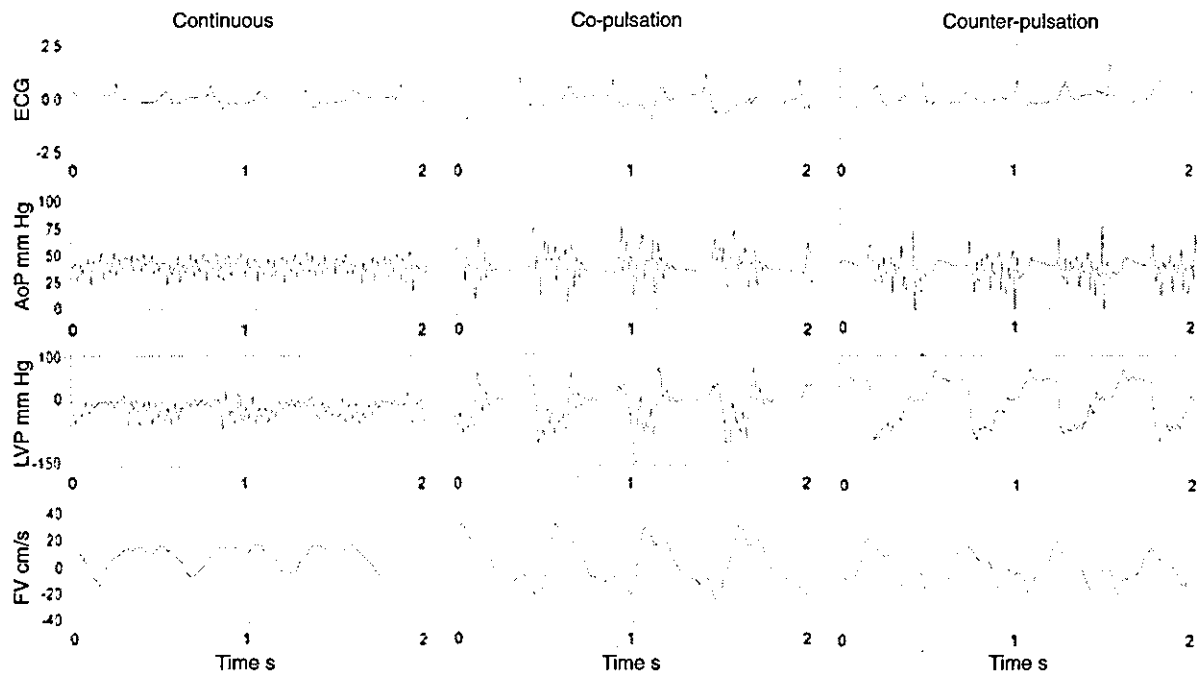


FIG. 6. An example of the effects of various pumping modes of UPVAD on the renal tissue mass index during an animal experiment together with hemodynamic parameters like arterial blood pressure, left ventricular pressure, and ECG.

An example of the time series data of the ECG, blood pressure, myocardial tissue blood flow, flow velocity, and mass index is shown in Fig. 4 with cardiac output measured at the pulmonary artery.

Figure 5 shows an example of the effect of various pumping modes of the UPVAD on the myocardial tissue mass index in an animal experiment together with hemodynamic parameters like arterial blood pressure, left ventricular pressure, and ECG. Significant alteration to the hemodynamic parameters and myocardial tissue oxygen supply can be observed in the figure. Circulation in organ tissue was recorded simultaneously in the kidney and the results are shown in Fig. 6. Significant alteration to the hemodynamic parameters and myocardial tissue oxygen supply can be seen in the figure and this pattern is different in comparison with the myocardial circulation.

DISCUSSION

The UPVAD project was started 7 years ago, and the undulation pump, which can create a pulsatile flow with rotary motion was developed. Based on this achievement, a new project to develop a UPVAD was started last year with the cooperation of six universities. This project is now at the stage of chronic

animal experiments and approaches the beginning of commercial development.

Work aiming at a UPVAD was started in 6 universities, and we began a preliminary study aiming at the prevention of the multiple organ failure. Blood flow to organ tissues during assisted circulation is of course important.

We observed the way in which myocardial blood flow and kidney blood flow are altered by UPVAD support, and we showed a preliminary example of the alteration of oxygen supply to myocardial tissue in an animal experiment with a healthy goat. We further showed that this was different in the kidney circulation.

The problem of multiple organ failure is important at the time of clinical application of a ventricular assist device. Improvement of circulation in internal organs is important for the prevention of multiple organ failure.

Our preliminary study suggests that the new UPVAD might be useful in preventing multiple organ failure.

Acknowledgments: The authors thank Mr. Kimio Kikuchi for assistance with experimental preparation and kind cooperation and Miss Yoko Itoh and Mrs. Hisako Iijima for their excellent technical assistance

and kind cooperation. This work was partly supported by a 21 COE program for Biomedical Engineering based on Bionanotechnology in Tohoku University, Health and Labor Sciences Research Grants for Research on Advanced Medical Technology (H14-Nano-020), Grant-in-aid for Scientific Research (11480253, 14657315) from the Ministry of Education, Science, Sports and Culture, Research Grant for Cardiovascular Diseases from the Ministry of Health and Welfare, and the Program for Promotion of Fundamental Studies in Health Science of Organizing for Pharmaceutical Safety and Research of Japan.

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Component Engineering for an Implantable System

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Abstract: Component engineering is important for the development of implantable-type rotary blood pumps (RP). The authors are conducting elementary development of an implantable artificial heart. A sensor system detects information in the living body. An automatic control system performs the drive control. Energy is provided by a transcutaneous energy transmission system (TETS). Various artificial hearts are being created. Miniaturization resulting from an increase in operating frequency is planned. A vibrating flow pump (VFP) has a reduced size of pumping chamber because of the high-speed reciprocating movement. Undulation pump ventricular assist devices (UPVAD) are small, lightweight rotary pumps. VFPs are

useful in the medical treatment of multiple organ failure (MOF). UPVADs are planned to be permanent-use RPs. The purposes of these two artificial hearts differ, although they have a common component. The authors are developing TETS by using amorphous fibers, making efficient power transmission possible. Control information input from a micro or nano sensor is realized. A control algorithm has been developed and baroreflex control has been successful. Artificial heart development, fully exploiting component engineering, continues. **Key Words:** Rotary blood pump—Transcutaneous energy transmission system—Baroreflex control—Artificial heart.

Heart transplantation is widely available in western countries, but there is a serious shortage of donor hearts and the demand for heart replacement with an artificial heart has grown tremendously. Displacement-type blood pumps show a superior capability for maintaining patients and they are sufficiently durable. Despite these advantages, several problems remain to be solved, including the large size and high cost. Rotary blood pumps can potentially solve these problems because of their small size and low cost. We are developing an efficient ventricular assist system that is a high-frequency blood

pump by improving its biocompatibility and durability. The size and weight of implantable devices is so important that various investigators have taken a number of developmental approaches. We aimed to solve the problem by increasing the drive frequency of the ventricular assist device. A vibrating flow pump with small stroke volume and high driving frequency enabled us to realize a small, lightweight implantable ventricular assist device. Apart from the mechanical assistance device pumping unit, we developed a transcutaneous energy transmission system. The system demonstrates high transmission efficiency in chronic animal experiments. An implantable secondary battery, transcutaneous telemetry system, and implantable small controller are now being developed to realize a completely implantable artificial heart system. For this purpose, brain blood flow was the focus of this study. Oxygen in the brain was measured using near-infrared spectroscopy. The control of artificial hearts using an algorithm that responds to changes in physiological demand is necessary to prolong and improve the

Received March 2004.

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Presented at the 11th Congress of the International Society for Rotary Blood Pumps, held August 31–September 2, 2003, in Bad Oeynhausen, Germany.

quality of life (QoL) of the artificial heart patient. A continuous flow total artificial heart (TAH), which is small and energy efficient, is considered a good alternative to an implantable TAH. Unlike pulsatile artificial hearts, which contract and expand alternately, the inflow and outflow of blood into and out of the pump occurs simultaneously in a continuous flow artificial heart. A 1/R control algorithm was used in our experiments.

MATERIALS AND METHOD

Vibrating flow pump

High frequency oscillating blood flow produced by a vibrating flow pump (VFP) is so unusual that its influence on the cardiovascular system may need to be investigated. A cross slider form is currently employed. This can be successfully miniaturized to a greater degree than the linear motor. The current weight of this new pump is around 410 g. A pump output of 8 L/min is possible against a 100 mm Hg afterload (1-3). We evaluated the effect of oscillating assist flow with VFP on the cerebral circulation using near infrared spectroscopy in animal experiments on adult goats. To maximize energy transmission we developed a transcutaneous energy transmission system employing amorphous fibers for magnetic shielding, and achieved over 90% energy transmission efficiency (Fig. 1).

Animal experiment

Anesthesia was induced with halothane inhalation in 4 healthy adult goats weighing 40-57 kg, and the left pleural cavity was opened through the fourth intercostal space under mechanical ventilation. Elec-

trodes for an electrocardiogram were placed, and arterial blood pressure and other hemodynamic variables were monitored continuously using inserted cardiovascular catheters. Cardiac output was measured with an electromagnetic flowmeter attached to the main trunk of the pulmonary artery. Pump output was measured with an electromagnetic flowmeter in the connector between the VFP and outflow cannulae to the descending aorta. We used NIRO-300 monitoring equipment to measure changes in optical density (Hamamatsu Photonics KK, Hamamatsu City, Shizuoka, Japan).

For the left assist heart implantation, a polyvinyl chloride cannula was inserted into the left atrium and secured with a ligature. The outflow cannula was sutured to the descending aorta. Both cannulae were connected to the VFP outside the chest cavity.

The moving distance of the central tube was only around 2-5 mm at 10-50 Hz. The blood flow always washed the outside chamber of the VFP to prevent thrombus formation.

The hemodynamic parameters and HbO₂ were recorded on a data recorder. The data were input to a personal computer system through an analog-digital converter and calculated.

Statistical significance was determined using the paired *t*-test and judged to be less than 0.05.

RESULTS

The VFP worked as a VAD. Arrhythmia did not occur more frequently than with any other VAD. The tendency to arrhythmia occurrence was not affected by the oscillating flow the left heart assistance device. After confirming the effect of left heart assistance by the VFP in the hemodynamic data, we measured the

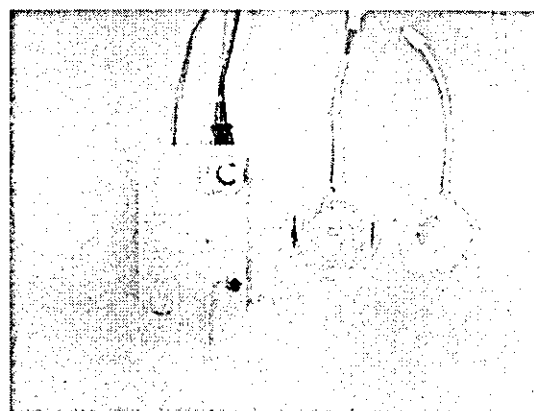
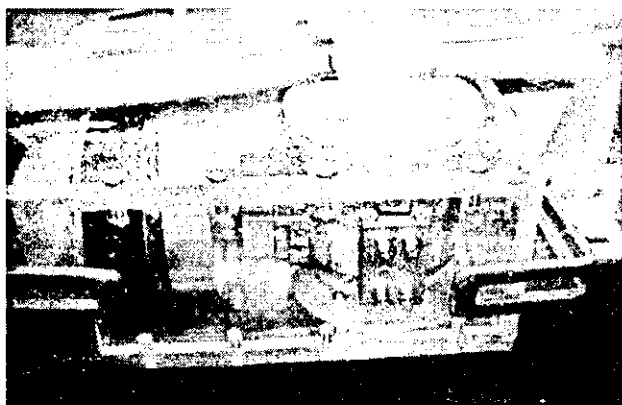


FIG. 1. Miniature vibrating flow pump (VFP) and transcutaneous energy transmission system (TETS). VFP total length is 70 mm with weight 410 g and can generate maximum output 8 L/min with 100 mm Hg afterload. TETS consists of an internal coil (7 × 0.2 cm) and an external coil (9 × 0.2 cm).